Name: $\qquad$ Date: $\qquad$
Trigonometry Honors 1.8 Word Problems

1. The bearing of a buoy from a ship 8.7 miles away is $\mathrm{N} 64^{\circ} \mathrm{E}$. The ship is headed du north, and the navigator plans to change course when the buoy has bearing of $\mathrm{S} 26^{\circ} \mathrm{E}$. How much farther will the ship travel before a change of course is needed?
2. A pilot of a San Antonio-to-Houston express plane traveling on a course of $\mathrm{N} 79^{\circ} \mathrm{E}$ sights the Austin Airport off the left side of the plane. His line of sight forms a right angle with the plane's line of travel. Find the bearing of the Austin Airport from the airplane.
3. After the plane in problem \#2 travels 45 minutes (from the first sighting of the airpoirt) at $180 \mathrm{mi} / \mathrm{hr}$ along the same course, the airport has a new bearing of $\mathrm{N} 80^{\circ} \mathrm{W}$. How far is the plane from the airport?
4. The navigator of a ship on a $\mathrm{N} 44^{\circ} \mathrm{E}$ course sights a buoy with a bearing of $\mathrm{S} 46^{\circ} \mathrm{E}$. After the ship sails 15 km along the same course, the navigator sights the same buoy u a bearing $\mathrm{S} 12^{\circ} \mathrm{E}$. Find the distance between the ship and the buoy at the time of each sighting.
5. The angle of depression from a helicopter to its landing port is $64^{\circ}$. If the altitude ( the helicopter is 1600 meters, find the direct distance from the helicopter to the landin port.

## Answers

1. 19.85 miles
2. $\mathrm{N} 11^{\circ} \mathrm{W}$
3. 144.6 miles
4. $1^{\text {st }}$ sighting: 22.2 km
$2^{\text {nd }}$ sighting: 26.8 km
5. 1780.16 meters
